

Curiosity, Community, and Cosmology

A PhD Story

Sinah Legner, July 29th

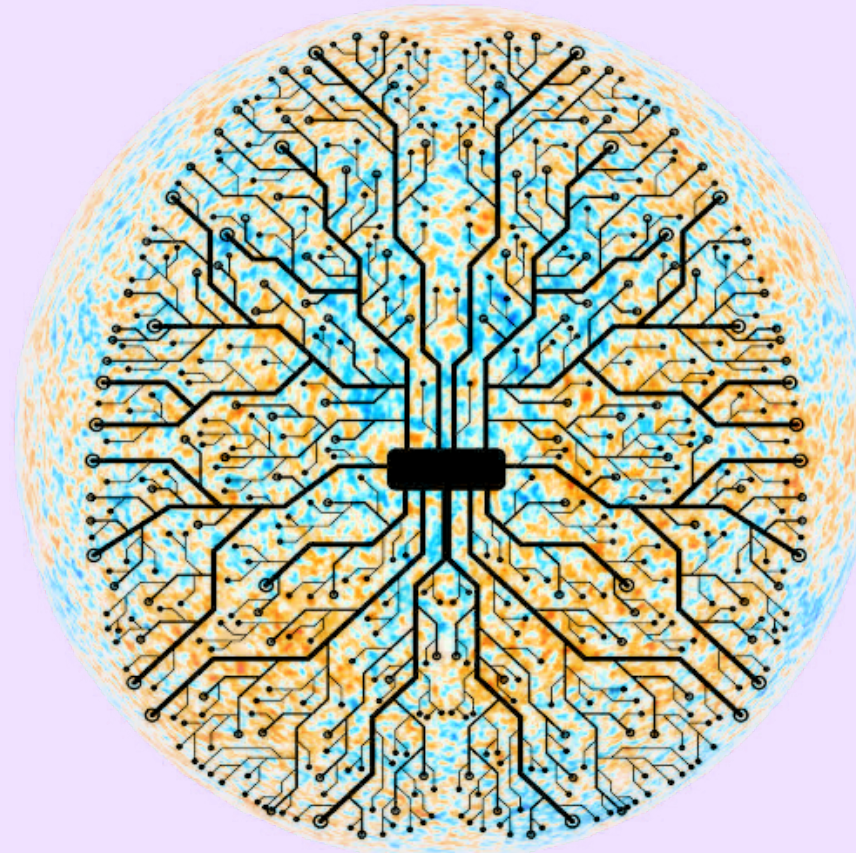
Who am I ?



Sinah Legner

- Third year PhD student
- Astrophysics group, Cavendish Laboratory
- Supervisors: Will Handley, Will Barker

Handley lab



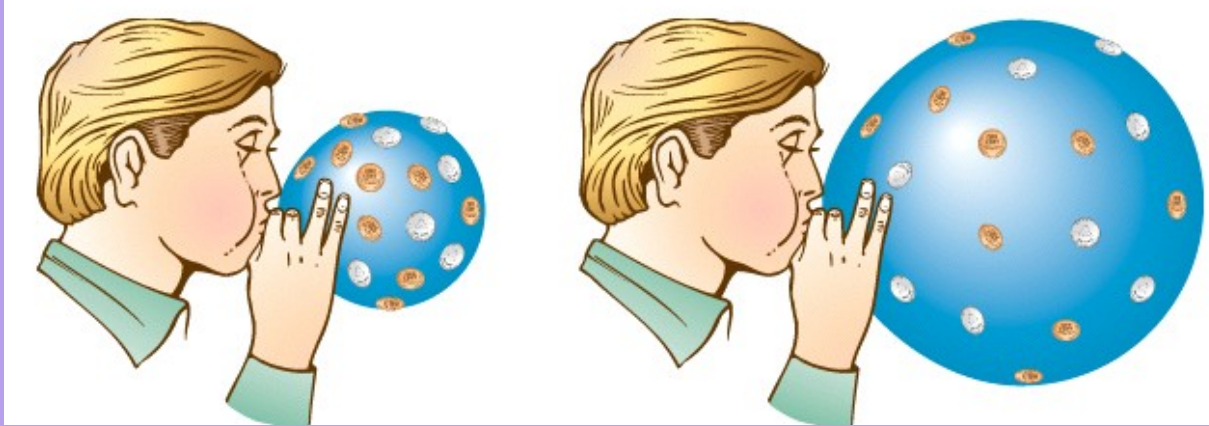
handley-lab.co.uk

- Exploring the Universe using tools from **Bayesian statistics, AI, and Machine Learning.**
- **Research Area:**
 - Early Universe & Inflation
 - Dark Energy & Dark Matter
 - 21-cm Cosmology & the Epoch of Reionisation
 - Gravitational Wave Astrophysics
- **Softwares:** PolyChord, anesthetic, margarine, GLOBALEMU, maxsmooth, fgivenx, and nestcheck

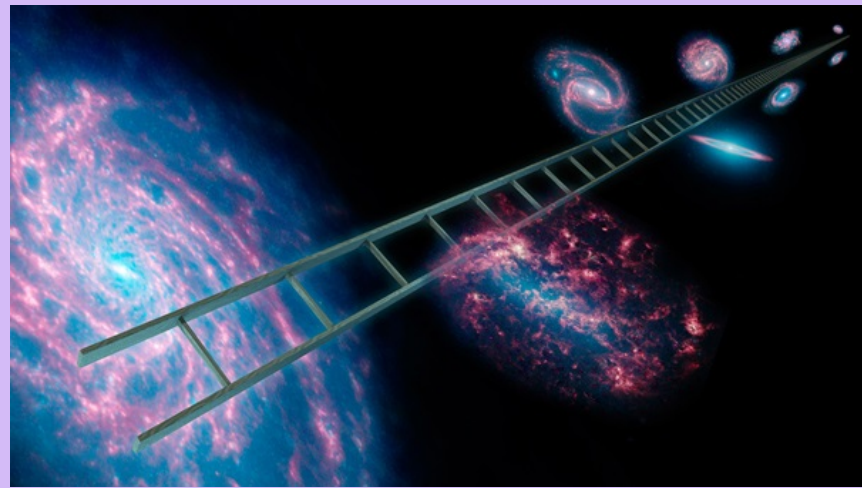


My research - an overview

Cosmological Tensions: H_0



H_0 - Rate of expansion of the Universe today



Supernovae observations

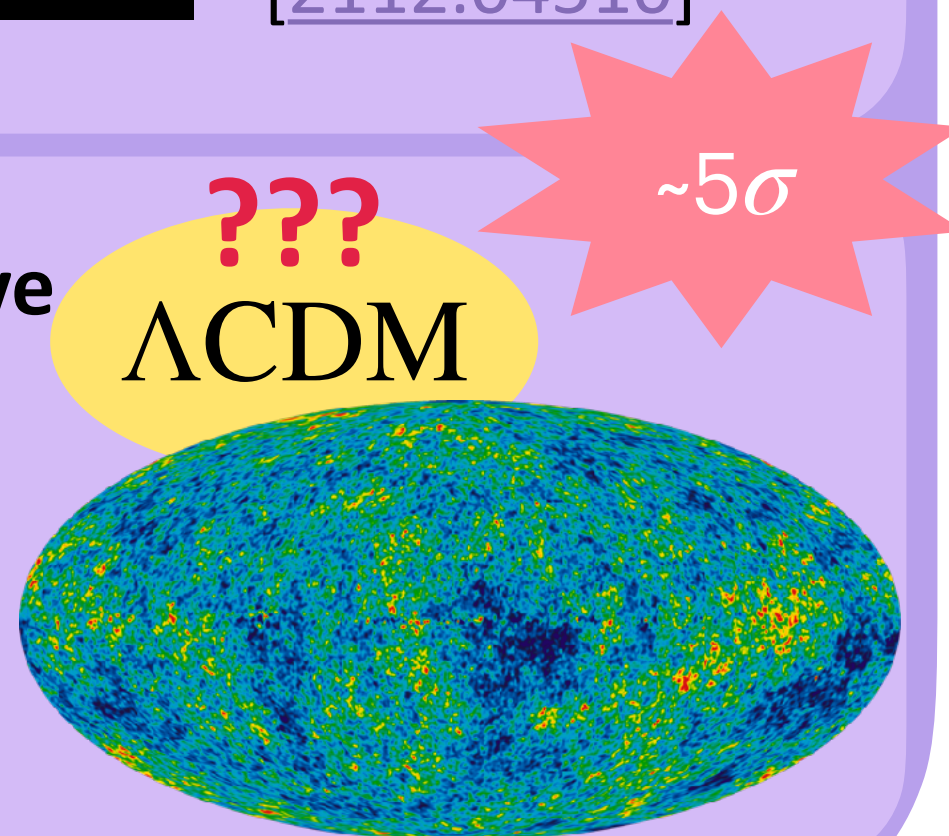
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[2112.04510]

Cosmic microwave background

$$H_0 = 67.4 \pm 0.5 \text{ km/s/Mpc.}$$

[1807.06209]



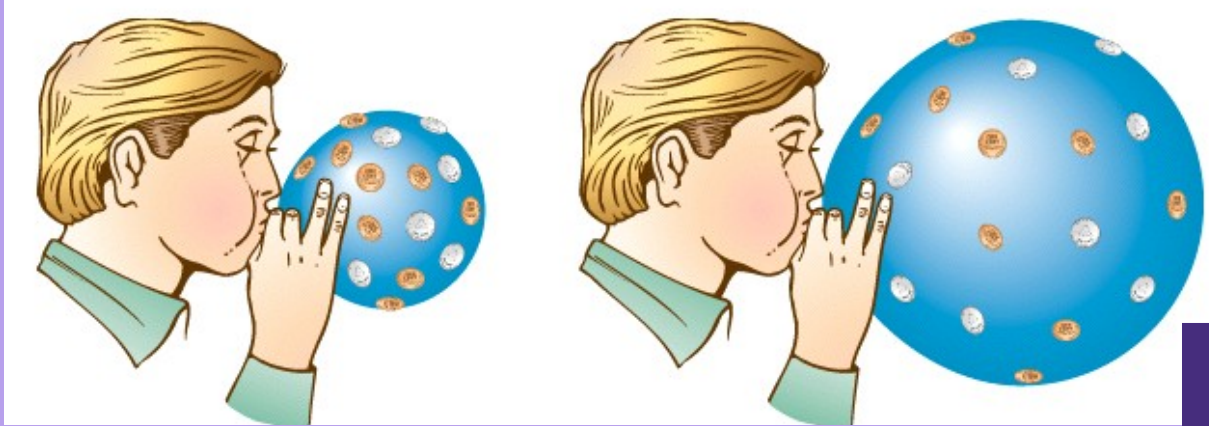
???

Λ CDM

$\sim 5\sigma$

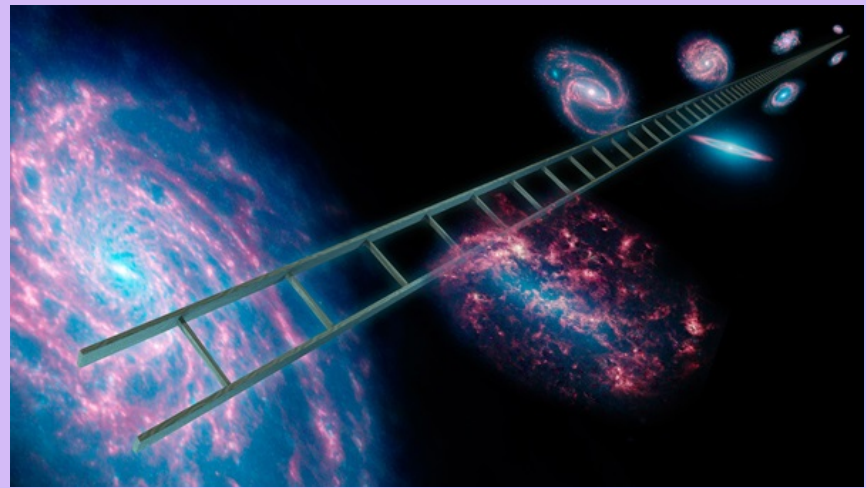
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Motivates



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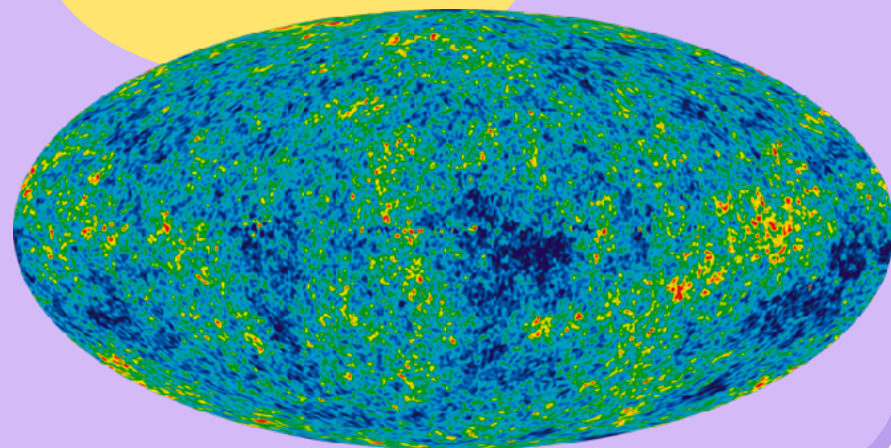
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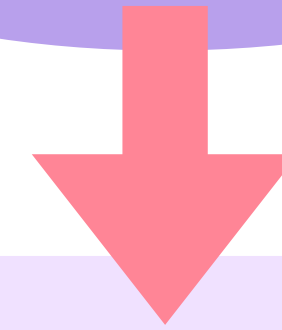
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Exploration of different theories of gravity

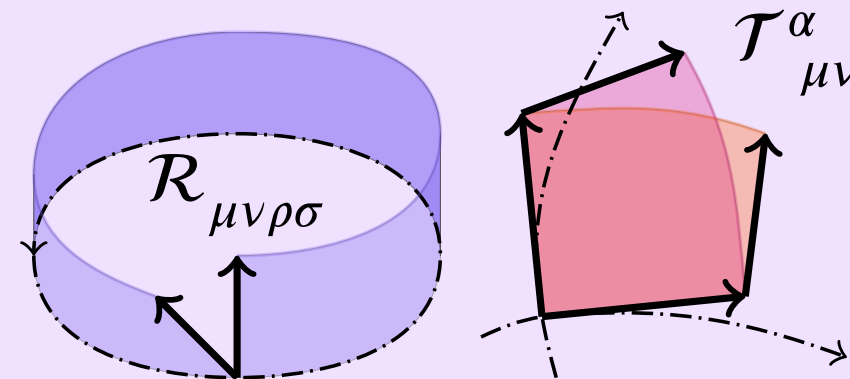


Poincaré gauge theory



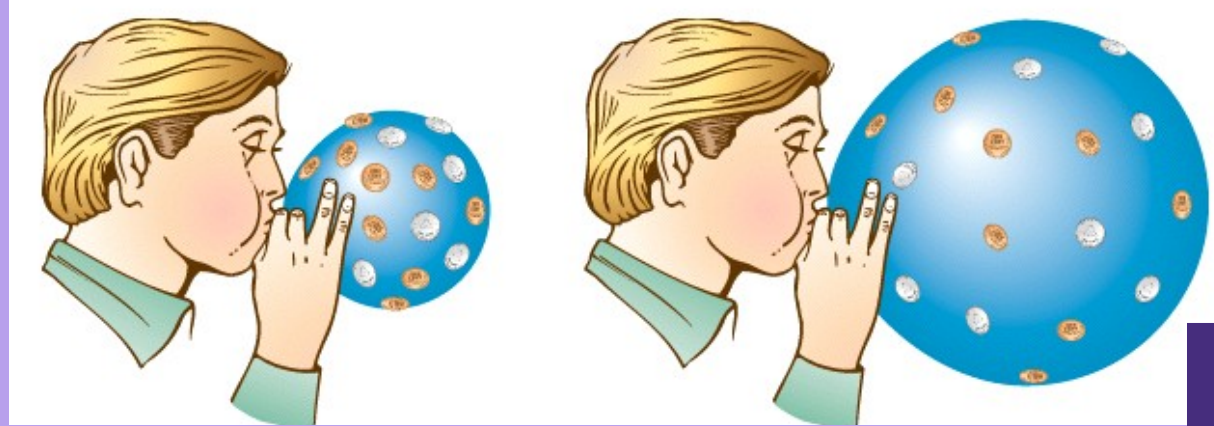
Torsion
Condensation (TorC)

$$\mathcal{L} \propto R^2 + T^2$$



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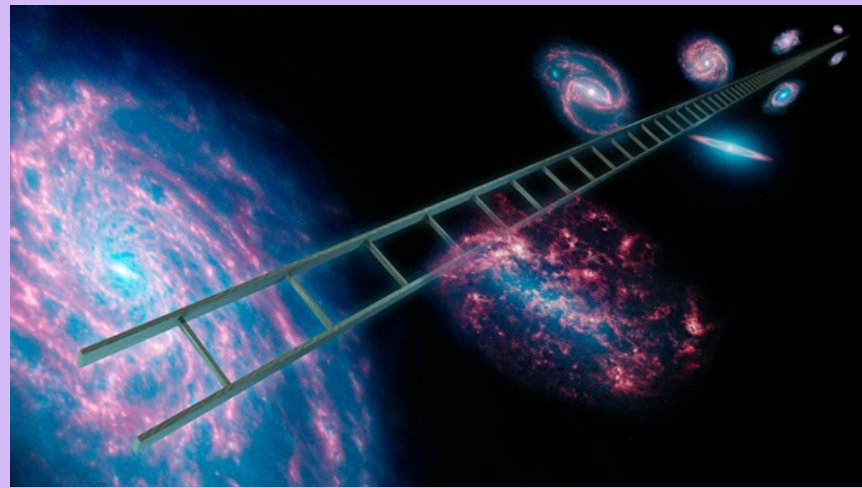


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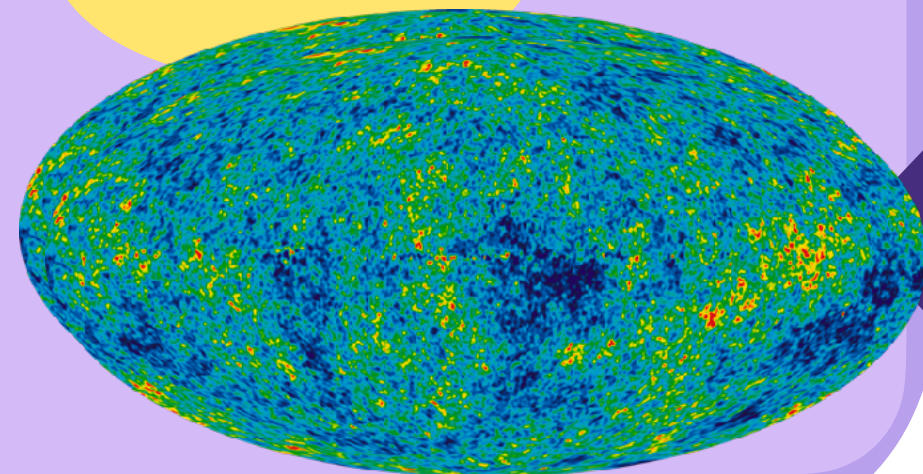
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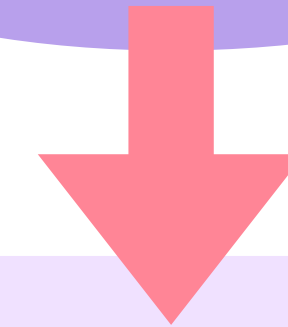
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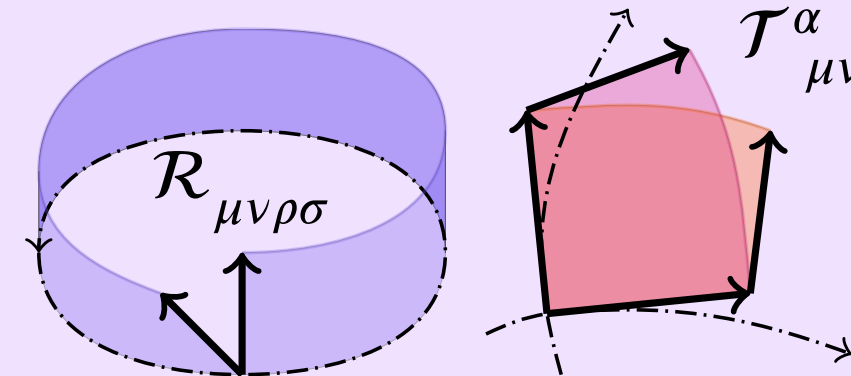


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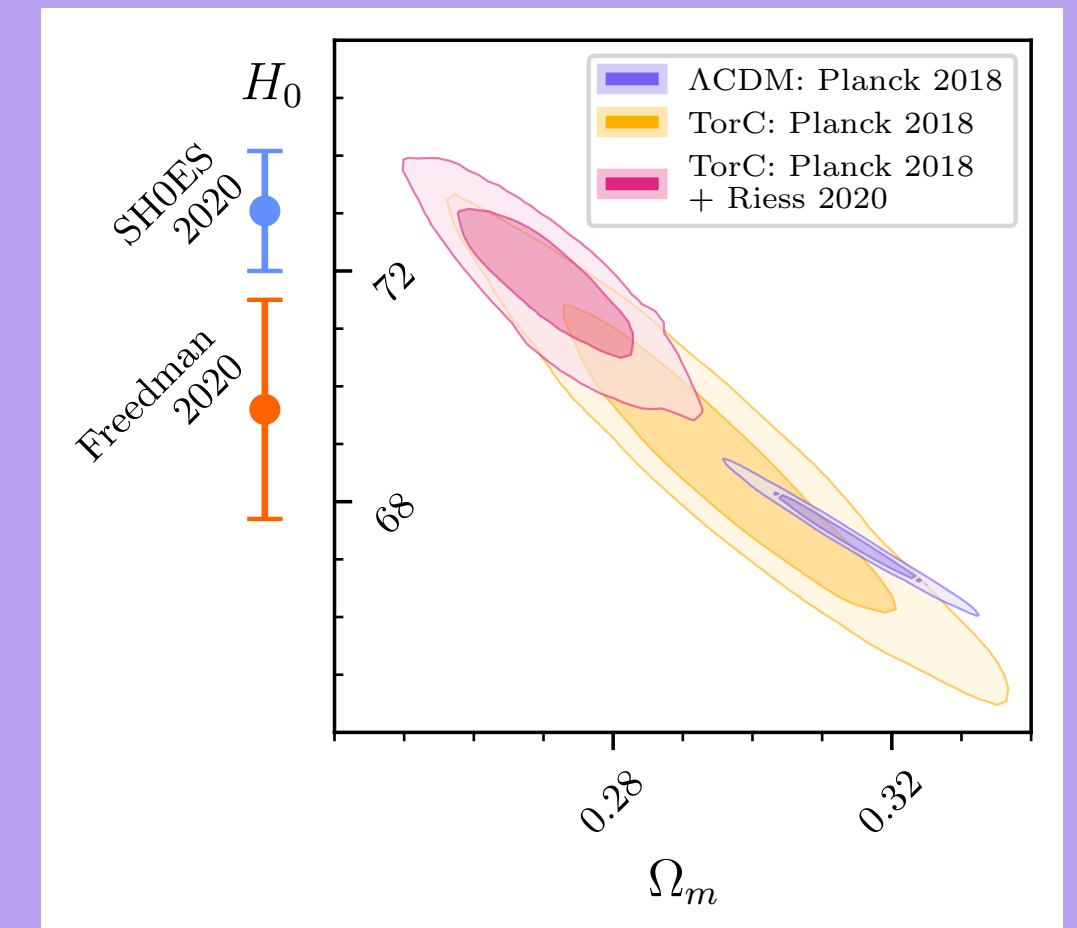
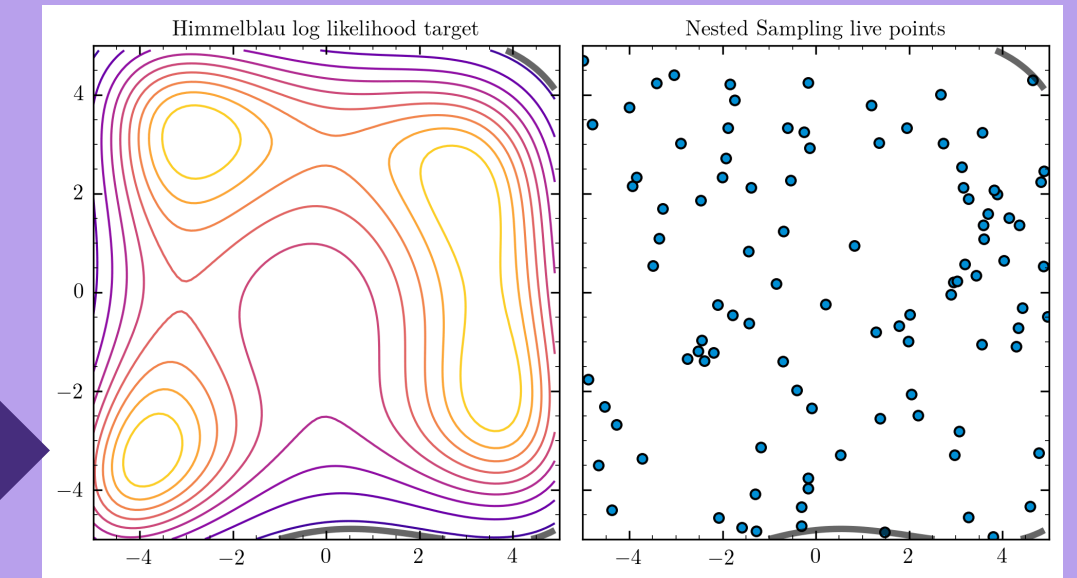
Torsion Condensation (TorC)

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Constraining TorC parameters

Analysis

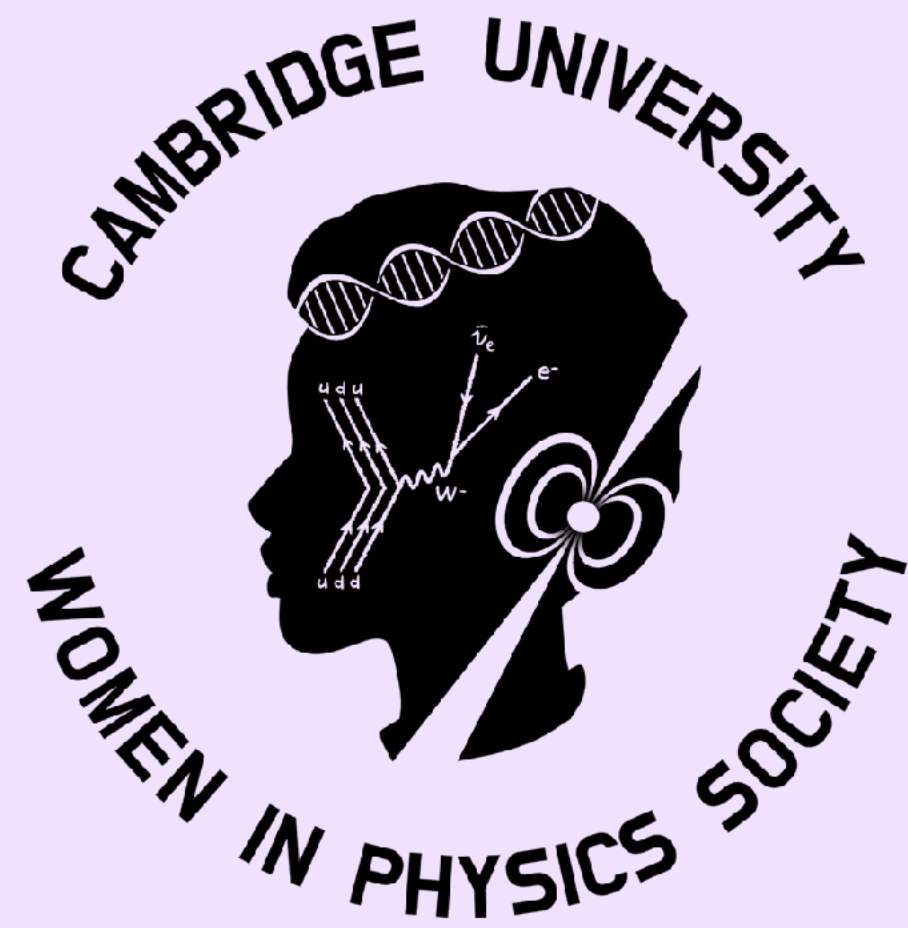


Using Bayesian inference and model comparison with Λ CDM

Alleviates Tension?

ArXiv: 2507.09228

Life at the department - CUWPS



Fostering a
community for
minorities within
the physics
department

www.cuwps.com

Instagram: [cu_wps](https://www.instagram.com/cu_wps)



^ International Women's Day 2025



< Coffee hour
every Monday



^ CUWPS 10-year anniversary dinner at Churchill College



< Start of
semester Pizza
Social

Life at the department - Social

- Different research groups have different ways of social
- Going out for drinks and dinner
- Going to lunch together as a group
- Battcock: Christmas pub quizzes organised by first year PhDs



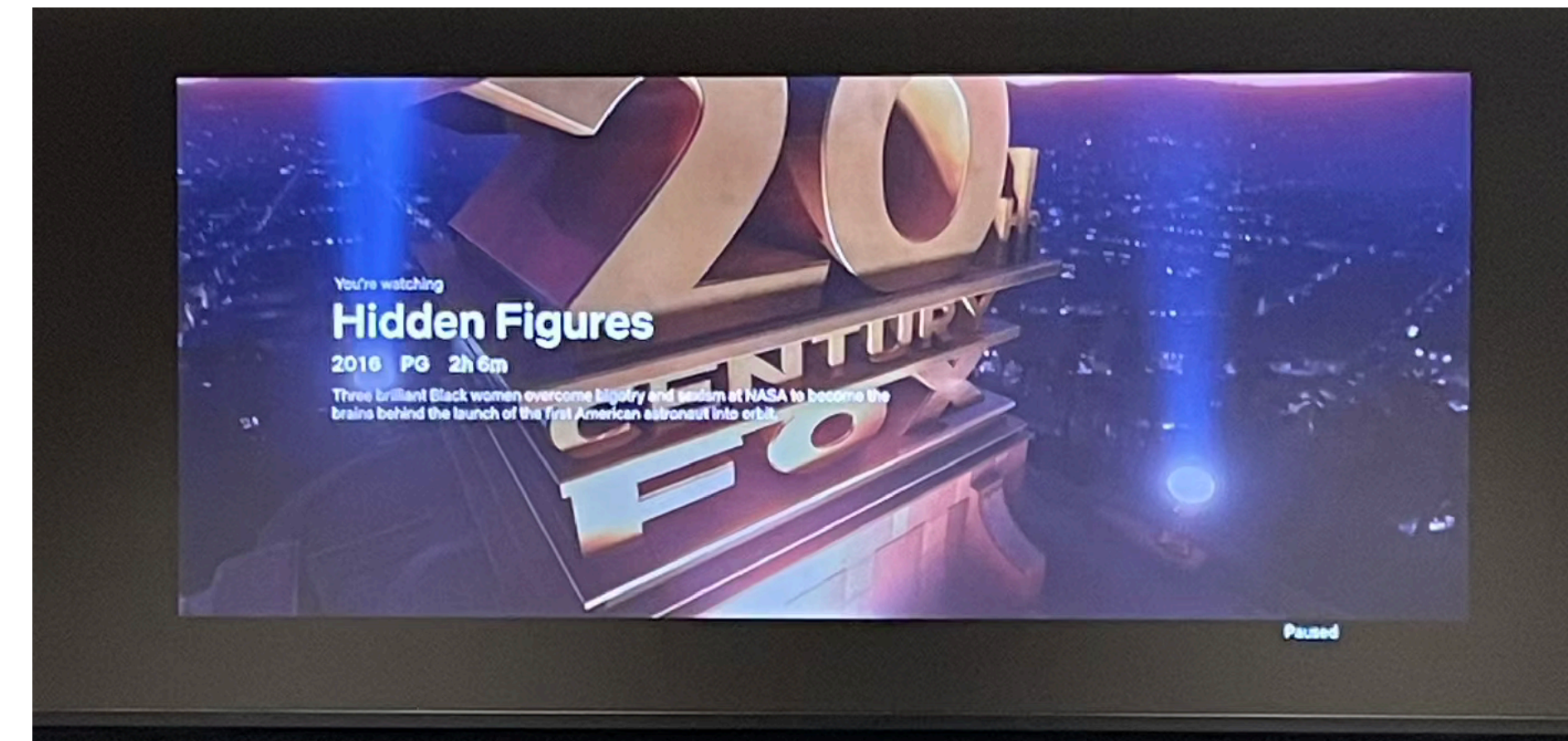
^ Christmas tree decoration DIY event (CUWPS)



Movie screening of *Hidden Figures* > part of International Women's Day celebrations (GSCC + CUWPS)



^ Battcock Centre Halloween coffee



Life at the department - Academic

- There are often talks/ colloquia/seminars going on
- Usually followed with drinks, coffee or snacks
- Some talks will come with free lunch or dinner
- Undergraduate supervisions
- You can get involved with talks!



^ PhD application panel discussion, given by PhD students

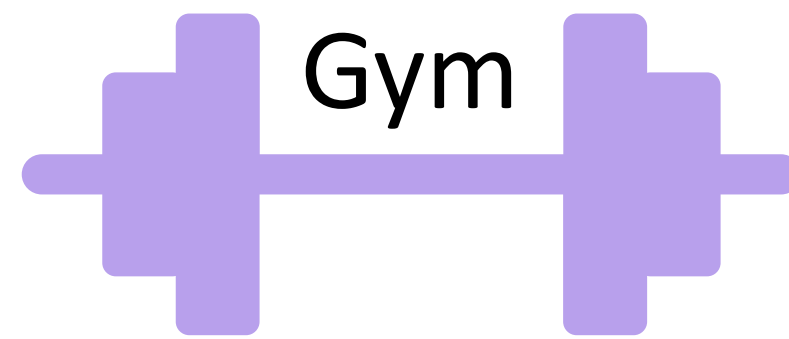


^ IWD talk series



Snacks after talk events! >

A day in my life



(Not everyday...)

In department

- Work/learning
- Go to talks (free food)
- Lunch with friends
- Debugging
- Meeting with supervisor
- Group meeting
- Coffee break/talk to friends
- Giving a talk/report/supervision

Outside department

- Do more work
- Food with friends
- Playing dnd
- Formal dinner (term time)
- Watching a movie
- Society
- Marking supervision work (term time)

Thank you!

PGT Lagrangian

PGT Lagrangian is obtained via enforcing local Poincare transformation.

$$\mathcal{L}_{\text{PGT}} = h^{-1} \left[L_{\mathcal{R}^2} + \kappa^{-1} (L_{\mathcal{R}} + L_{\mathcal{T}^2} + L_{\Lambda}) + L_m(\Phi, \Psi; h, A) \right]$$

$$L_{\mathcal{R}} = -\frac{1}{2} \alpha_0 \mathcal{R},$$

$$L_{\Lambda} = -\Lambda,$$

$$L_{\mathcal{R}^2} = \alpha_1 \mathcal{R}^2 + \alpha_2 \mathcal{R}_{ab} \mathcal{R}^{ab} + \alpha_3 \mathcal{R}_{ab} \mathcal{R}^{ba} + \alpha_4 \mathcal{R}_{abcd} \mathcal{R}^{abcd} + \alpha_5 \mathcal{R}_{abcd} \mathcal{R}^{acbd} \\ + \alpha_6 \mathcal{R}_{abcd} \mathcal{R}^{cdab},$$

$$L_{\mathcal{T}^2} = \beta_1 \mathcal{T}_{abc} \mathcal{T}^{abc} + \beta_2 \mathcal{T}_{abc} \mathcal{T}^{bac} + \beta_3 \mathcal{T}_a \mathcal{T}^a.$$

Gauge Fields:

$$h_a^\mu$$

Translational

$$A_\mu^{ab}$$

Lorentz

Field Strength Tensors:

$$\mathcal{R}^{ab}_{cd} = 2h_c^\mu h_d^\nu \left(\partial_{[\mu} A^{ab}_{\nu]} + A^a_{e[\mu} A^{ae}_{\nu]} \right),$$

$$\mathcal{T}^a_{bc} = -2b^a_\mu D_{[b} h_{c]}^\mu.$$

Bayesian Inference and Nested Sampling

Parameter Estimation:

- What does data tell us about parameters?

- $P(\theta | D, M) = \frac{P(D | \theta, M)P(\theta | M)}{P(D | M)}$

P - posterior
L - likelihood
 π - prior
Z - evidence

Model Comparison:

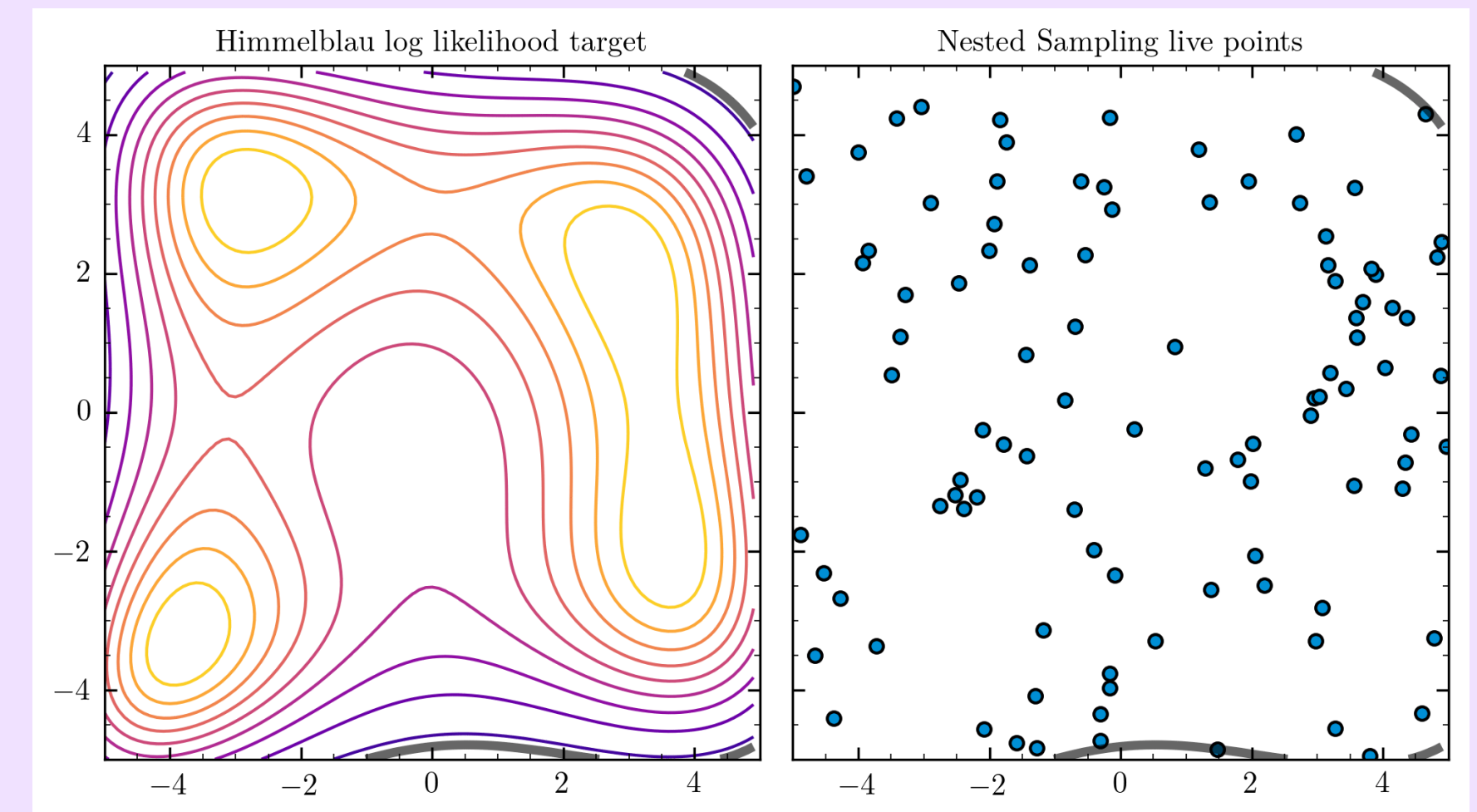
- How much does data support the model?

- $P(M | D) = \frac{P(D | M)P(M)}{P(D)}$

- Higher evidence favours a model
- Penalises complexity

Nested Sampling:

- Computes evidence directly
- Handles multimodal posteriors



Gif from David Yallup

- **Polychord**: nested sampling algorithm tailored for high-dimensional parameter spaces. [[1506.00171](#)]